

## Educator Packet

## Warm up: Target Number

- The task is to represent the target number in different ways in one minute. Do a couple samples with students before starting the timer.
a. Start all groups with the numbers 12 and 15 .
i. All target numbers are fair to use with students in grades 1 through 8.
ii. Use numbers 20 and under for any "Cat-Icon" students in the group.
- Set the timer for one minute.
- Educators play along, and write examples to share related to the students' required math fluencies:
- At the end of the minute, students give ONE example at a time, going around the group a couple of times until all DIFFERENT responses are used. Students need to give different ways to represent the number. Writing, " $7+3$ " is different from writing, " $3+7$ ". Drawing 7 circles and 3 circles is different from writing, " $7+3$."

Examples of some different ways to represent the number 10:

| $7+3$ | $10+0$ | $17-7$ | $2 \times 5$ | $100 / 10$ | $20 / 2$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $3+7$ | $0+10$ | ten | $5 \times 2$ | $10 / 1$ | $10 \times 1$ |

One dozen eggs take away 2
00000 00000
$2+2+2+2+2$
 HH HH
$100-90$

## Required [Math] Fluencies

| Grade 3 | Single digit products and quotients (product <br> automaticity by the end of Grade 3) | Automaticity for Products by the <br> end of Grade 3 |
| :--- | :--- | :--- |
| Add and subtract within 1,000 | Procedural Fluency |  |
| Grade 4 | Add and subtract within 1,000,000 | Procedural Fluency |
| Grade 5 | Multi digit multiplication | Procedural Fluency |
| Grade 6 | Multi digit division; multi digit decimal <br> operations | Procedural Fluency |
| Grade 7 | Solve two step equations in the form of px + <br> $\mathrm{q}=$ r and $\mathrm{p}(\mathrm{x}+\mathrm{q})=\mathrm{r}$ | Procedural Fluency |
| Grade 8 | Solve simple $2 \times 2$ systems of equations by <br> inspection/substitution | Procedural Fluency |

Suggested Target Numbers: Start with 12 and 15 for everyone for the first two sessions. Afterwards, numbers over 20 are fair for all grade bands except for the DOG ICON, which should just use numbers under 20.
12
15
24
36

60
48
100
45

90
50
75
More choices: 9
18
6
20

## FAMILY FUN GAME Directions

## Key Points:

- Starting with Unit 2, the Family Fun Game gives students repeated practice in each of the Math Matters skills. This allows students to practice all of the skills throughout the summer.


## Process:

1. Each Student Packet has its own Family Fun Game Cards, allowing each student to participate with students who have different skills to practice.
2. Do not cut the cards apart! Starting with Lesson 2 , the three cards in each row will practice the same skill.
3. Instead of students drawing a card, students select a problem from their grade band sheets. Students can select problems in the order they choose, BUT ask students to solve one problem from each row, before repeating from the row, so they practice each skill.
4. Game Directions are on the game board. Game boards are at the end of each Student Packet, so they are easy to pull off and use.
5. The best way to move around the board is to use dice. The Student Packets have a "Do It Yourself (DIY)" version to toss a small wad of paper onto a board of numbers.
6. Many students end up reading all of the problems in between turns as they search for the "best" ones to answer.

## Do It Yourself (DIY) Game Pieces

Player: Cut the outside of the double trapezoid. Fold in half to make the player. If more than one student has the same color, students can write their names on the playing piece.

If you don't have a 6-sided die: Cut around the jagged "splotch" shape and wad the paper into a ball. Toss the ball onto the number board to find number of spaces to move.


## BLM Unit 1 Family Fun Game Answer Key - All Levels

| Problem Letter | Kinder (pink) | $\begin{gathered} 1-2 \\ \text { (blue) } \end{gathered}$ | 3-4 <br> (green) | $\begin{gathered} 5-6 \\ \text { (yellow) } \end{gathered}$ | $\begin{gathered} 7-8 \\ \text { (peach) } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| A | $5 ¢$ (cents) | \$32 | 0.15 | 2.35 | 18 boys : 22 girls |
| B | $6 ¢$ (cents) | \$42 | 0.2 | 1.2 or 1.20 | 11 girls : 20 total |
| C | $7 ¢$ (cents) | \$55 | 0.42 | 0.42 | 12 boys : 27 total |
| D | $8 ¢$ (cents) | \$78 | 0.05 | 13\% | 16 red : 27 total |
| E | $9 ¢$ (cents) | \$62 | 1/4 | 1\% | 9 cups |
| F | 10¢ (cents) | \$82 | 2/8 | 34\% | $11 / 3$ cups |
| G | $6 ¢$ (cents) | \$28 | 1/3 | 25\% and 1/4 | 18 cups |
| H | $7 ¢$ (cents) | \$12 | 2/6 | 50\% and 1/2 | 10 cups |
| I | $8 ¢$ (cents) | \$8 | 10 | 75\% and 3/4 | 7.5 ounces |
| J | 10¢ (cents) | \$10 | 3 | 2,95 | \$36 |
| K | 13¢ (cents) | \$32 | 9 | 3/8 | 25 shirts |
| L | 15¢ (cents) | \$25 | 1 | 3/5 | 16 shirts |
| M | 11¢ (cents) | \$15 | 6 | 3/8 | 20 blocks |
| N | 12¢ (cents) | \$21 | 3 | 2/5 | 7.2 minutes |
| O | $9 ¢$ (cents) | \$45 | 15 | $3 / 6$ or 1/2 | Martin runs faster. Martin runs 12 blks/6 min and Alicia runs 10 blks/6 min |
| P | 14¢ (cents) | \$37 | 8 | 8.2 | 5 gallons |
| Q | 13¢ (cents) | \$3 | 9 | 9.01 | 425 miles |
| R | 16¢ (cents) | \$19 | 28 | 151.2 | \$5.00 |

## CGI CHARTS:

While the New York State's Next Generations Learning Standards for Grade 5 and Grade 6 do not have a chart of sample word problems, the CGI Chart for Grades 5 and 6 give the students practice multiplying with fractions and decimals. Additionally, the CGI process supports students in reading and solving word problems.

## Process:

1. Pick one word problem. Spend time on the process instead of a quick answer.
2. Read the problem to students, using the choice of differentiated numbers to fill in the blanks.
3. Read again and encourage students to take notes on the graphic organizer. (modeling, teaching the first time)
4. Give students time to solve. (If struggling, prompt with, "What number does the problem start with?" Do you want to draw this or use manipulatives to recreate it?)
a. Have manipulatives and paper for students to choose either medium for solving the problem.
5. Ask students to explain their process before asking them for an answer. This allows students time to self-correct and gives the Educator a clue about how the student is thinking.
6. At the end, look at the final answer together, to decide if it solves the problem. How would you say this in a sentence?

Unit 1 CGI Problems for Money Sense with Kids

|  | Unknown Product $a \times b=?$ | Group Size Unknown $a \times ?=p$ and $p \div a=$ ? | Number of Groups Unknown $? \times b=p$ and $p \div b=?$ |
| :---: | :---: | :---: | :---: |
|  | Anita put $\qquad$ away in her Short Term money jar every week for $\qquad$ weeks. How much did she have in the jar then? $(\$ 9.50,5) \quad(\$ 11.25,6)$ | Anita had $\qquad$ She wanted to give several charities $\qquad$ each. How many charities could she donate to? <br> (\$45.00, \$15.00) (\$70, \$17.50) | Anita had $\qquad$ dollars she wanted to divide equally among her $\qquad$ money jars. How much should she put in each jar? <br> $(\$ 363,3)(\$ 366,6)$ |
| $\begin{aligned} & N \\ & \frac{N}{\alpha} \end{aligned}$ | Margo worked in a bakery. She could knead a loaf of bread every $\qquad$ minutes. At that rate, how long would it take her to knead $\qquad$ loaves of bread? <br> $(10,5) \quad(7,8)$ | Margo worked in a bakery. She could knead __ loaves of bread in one hour. At that rate, how long did it take them to knead $\qquad$ loaf(ves) of bread? $(7,1) \quad(7,2) \quad(9,3)$ | Margo worked in a bakery. She could knead $\qquad$ loaves of bread in 40 minutes. At that rate, how many loaves could she knead in $\qquad$ minutes? <br> $(8,5)$ <br> $(5,20)$ <br> $(4,30)$ |
|  | Eloy bought 7 pounds of white fish for $\$ 2.50$ a pound. How much did he pay for the fish? | Eloy paid $\$ 21.77$ for fish that cost $\$ 7$ a pound. How many pounds of fish did he buy? | Eloy paid a total of $\$ 45$ for 15 pounds of shrimp. How much did he pay a pound for the shrimp? |
|  | Sammy and his 3 friends had each eaten personal sized pizza for lunch. Each had one-sixth of his pizza leftover. If they put their leftovers together, how much pizza would they have? | Sammy wanted to make pizza dough. The recipe called for $\frac{1}{2}$ cup flour per pizza. If Sammy had 5 cups of flour, how many pizzas could he make? | Sammy's recipe for pizza called for $3 / 4$ cup sausage per pizza. If Sammy could make 8 pizzas, how many cups of sausage did he have? |


|  | Multiplicación | División de medidas | División partitiva |
| :---: | :---: | :---: | :---: |
|  | Anita guardó $\qquad$ en su alcancía a corto plazo cada semana durante $\qquad$ semanas. ¿Cuánto dinero tenía en la alcancía entonces? $(\$ 9.50,5) \quad(\$ 11.25,6)$ | Anita tenía $\qquad$ . Anita quería hacer donativos a varias organizaciones benéficas a razón de $\$ 15$ cada una. ¿A cuántas organizaciones benéficas pudo donar? $\qquad$ | Anita tenía $\qquad$ dólares que quería dividir igualmente entre $\qquad$ alcancías. ¿Cuánto dinero puede poner en cada alcancía? $(\$ 363,3)(\$ 366,6)$ |
| 伴 | Margo trabajaba en una repostería. Podía amasar una barra de pan cada $\qquad$ minutos. A tal razón, ¿cuánto tiempo le tomaría amasar $\qquad$ barras de pan? $(10,5)$ <br> $(7,8)$ | Margo trabajaba en una repostería. Podía amasar $\qquad$ barras de pan en una hora. A tal razón, ¿cuánto tiempo le tomaría amasar $\qquad$ barra(s) de pan? $(7,1) \quad(7,2) \quad(9,3)$ | Margo trabajaba en una repostería. Podía amasar $\qquad$ barras de pan cada 40 minutos.A tal razón, ¿cuántas barras de pan podía amasar en $\qquad$ minutos? $\qquad$ $(5,20)$ <br> $(4,30)$ |
| 易 | Eloy compró 7 libras de pescado blanco a $\$ 2.50$ la libra. ¿Cuánto pagó por el pescado? | Eloy pagó $\$ 21.77$ por pescado que cuesta a $\$ 7$ la libra. ¿Cuántas libras de pescado compró? | Eloy pagó un total de $\$ 45$ por 15 libras de camarones. ¿Cuánto pagó por libra de camarones? |
|  | Sammy y sus 3 amigos habían comido pizzas individuales para el almuerzo.A cada uno de ellos le sobró una sexta parte de su pizza. Si juntaran sus sobras, ¿qué cantidad de pizza tendrían? | Sammy quería hacer masa de pizza. La receta llevaba $1 / 2$ taza de harina por pizza. Si Sammy tenía 5 tazas de harina, ¿cuántas pizzas pudo hacer? | La receta de pizza que Sammy usó llevaba $3 / 4$ de taza de chorizo por pizza. Si Sammy pudo hacer 8 pizzas, ¿cuántas tazas de chorizo usó? |



## Unit 1 Lesson 3 - Snack Fractions

## String Cheese - Snack Fractions Teacher Guide

## Problem:

Enrique had five pieces of string cheese to share among himself and three of his brothers.


## Questions:

1. What fractional portion of the snack did each person receive? $1 \frac{1}{4}$
2. How do you write one portion as a decimal? Percent? 1.25 and $125 \%$
3. What if one person wasn't hungry for the string cheese. What fractional portion of the snack would each person receive then? Draw a picture. 1 and $\frac{2}{3}$ The fraction is NOT 1 and $\frac{2}{6}$. The whole is divided into 3 pieces, therefore those pieces are thirds. Six-thirds are shown in the picture. Six-thirds is equivalent to 2 wholes ( 2 cheese sticks).

4. How do you write that as a decimal? Percent? 1.66 or 1.67 and $166 \%$ or $167 \%$. Although one-third is a repeating decimal, it is a benchmark that all students should become familiar with.
